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Dielectric response function in t - J - V model

M.V. Eremin^{a,*}, I. Eremin^b, A. Aleev^a

^aPhysics Department, Kazan State University, 420008 Kazan, Russian Federation

^bInstitut für Theoretische Physik, Freie Universität Berlin, D-14195 Berlin, Germany

Abstract

The dielectric response function $\varepsilon(\mathbf{q}, \omega)$ has been derived in the frame t - J - V model. In addition to the acoustic plasmon modes, a new collective charge excitation mode has been found. We have shown, that in layered cuprates the inverse dielectric function $1/\varepsilon(\mathbf{q}, \omega)$ may be negative in the area which partially overlaps the Fermi surface. Then, the interaction of quasiparticles via plasmon field causes the higher order harmonics in $d_{x^2-y^2}$ -wave symmetry of the superconducting gap driven mainly by the superexchange interaction.

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A dielectric response function shows how the Fourier transform of the interaction between quasiparticles changes in the matter with respect to some ideal bare model. Note, the possibility for a negative ε has been explored in a number of studies [1] in order to account for high T_c in cuprates. However, the microscopic origin of the negative ε remains unclear. Therefore, a microscopical study of the dielectric response function in application to high- T_c cuprates is of general interest.

In our study, we start from the Hamiltonian

$$H = \sum t_{ij} \psi_i^{\text{pd},\sigma} \psi_j^{\sigma,\text{pd}} + \frac{1}{2} \sum J_{ij} (\mathbf{S}_i \mathbf{S}_j) + \frac{1}{2} \sum V_{ij} \delta_i \delta_j, \quad (1)$$

where t_{ij} is a hopping integral, $\psi_i^{\text{pd},\sigma}$ ($\psi_j^{\sigma,\text{pd}}$) are the creation (annihilation) composite Hubbard-like quasiparticle operators, σ is a spin projection. The symbol pd corresponds to a copper–oxygen singlet state with one hole placed on a copper and the second hole distributed on the neighboring oxygen sites. The spin and density operators are expressed by projecting operators as follows: $S_i^+ = \psi_i^{\uparrow,\downarrow}$, $S_i^- = \psi_i^{\downarrow,\uparrow}$, $S_i^z = \frac{1}{2}(\psi_i^{\uparrow,\uparrow} - \psi_i^{\downarrow,\downarrow})$, $\delta_i = \psi_i^{\text{pd},\text{pd}}$. Note, the first two terms of the Hamiltonian (1) map on to so-called t - J model. The last term in Eq. (1) accounts for the density–density interaction.

*Corresponding author. Tel.: +78432 315116; fax: +78432 380901.
E-mail address: Mikhail.Eremin@ksu.ru (M.V. Eremin).

In general case the dynamical charge susceptibility $\chi_{\text{ch}}(\mathbf{q}, \omega)$ is written as follows:

$$\chi_{\text{ch}}(\mathbf{q}, \omega) = \frac{\chi_{\text{ch}}^{(0)}(\mathbf{q}, \omega)}{1 + V_{\mathbf{q}} \chi_{\text{ch}}^{(0)}(\mathbf{q}, \omega) + \frac{1}{2} \Pi_{\text{ch}}^{(2)}(\mathbf{q}, \omega) - ((2 - P_{\text{pd}})/2) Z_{(\text{ch})}(\mathbf{q}, \omega)}, \quad (2)$$

where

$$\chi_{\text{ch}}^{(0)}(\mathbf{q}, \omega) = \frac{1}{N} \sum \left[C_{xx} \frac{n_{\mathbf{k}} - n_{\mathbf{k}+\mathbf{q}}}{\omega - E_{\mathbf{k}} + E_{\mathbf{k}+\mathbf{q}}} + C_{yy} \frac{n_{\mathbf{k}+\mathbf{q}} - n_{\mathbf{k}}}{\omega + E_{\mathbf{k}} - E_{\mathbf{k}+\mathbf{q}}} \right] + \frac{1}{N} \sum \left[C_{xy}^{(+)} \frac{P_{\text{pd}} - n_{\mathbf{k}+\mathbf{q}} - n_{\mathbf{k}}}{\omega + E_{\mathbf{k}} + E_{\mathbf{k}+\mathbf{q}}} + C_{yx}^{(-)} \frac{n_{\mathbf{k}} + n_{\mathbf{k}+\mathbf{q}} - P_{\text{pd}}}{\omega - E_{\mathbf{k}} - E_{\mathbf{k}+\mathbf{q}}} \right] \quad (3)$$

and $\Pi_{\text{ch}}(\mathbf{q}, \omega)$ and $Z_{\text{ch}}(\mathbf{q}, \omega)$ describe the strong correlation effects [2]. For example, $Z_{\text{ch}}(\mathbf{q}, \omega)$ has the form

$$Z_{\text{ch}}(\mathbf{q}, \omega) = \frac{1}{N} \sum \left[C_{xx} \frac{\omega}{\omega - E_{\mathbf{k}} + E_{\mathbf{k}+\mathbf{q}}} + C_{yy} \frac{\omega}{\omega + E_{\mathbf{k}} - E_{\mathbf{k}+\mathbf{q}}} \right] + \frac{1}{N} \sum \left[C_{xy}^{(+)} \frac{\omega}{\omega + E_{\mathbf{k}} + E_{\mathbf{k}+\mathbf{q}}} + C_{yx}^{(-)} \frac{\omega}{\omega - E_{\mathbf{k}} - E_{\mathbf{k}+\mathbf{q}}} \right]. \quad (4)$$